

# **Large Vocabulary Continuous Speech Recognition**

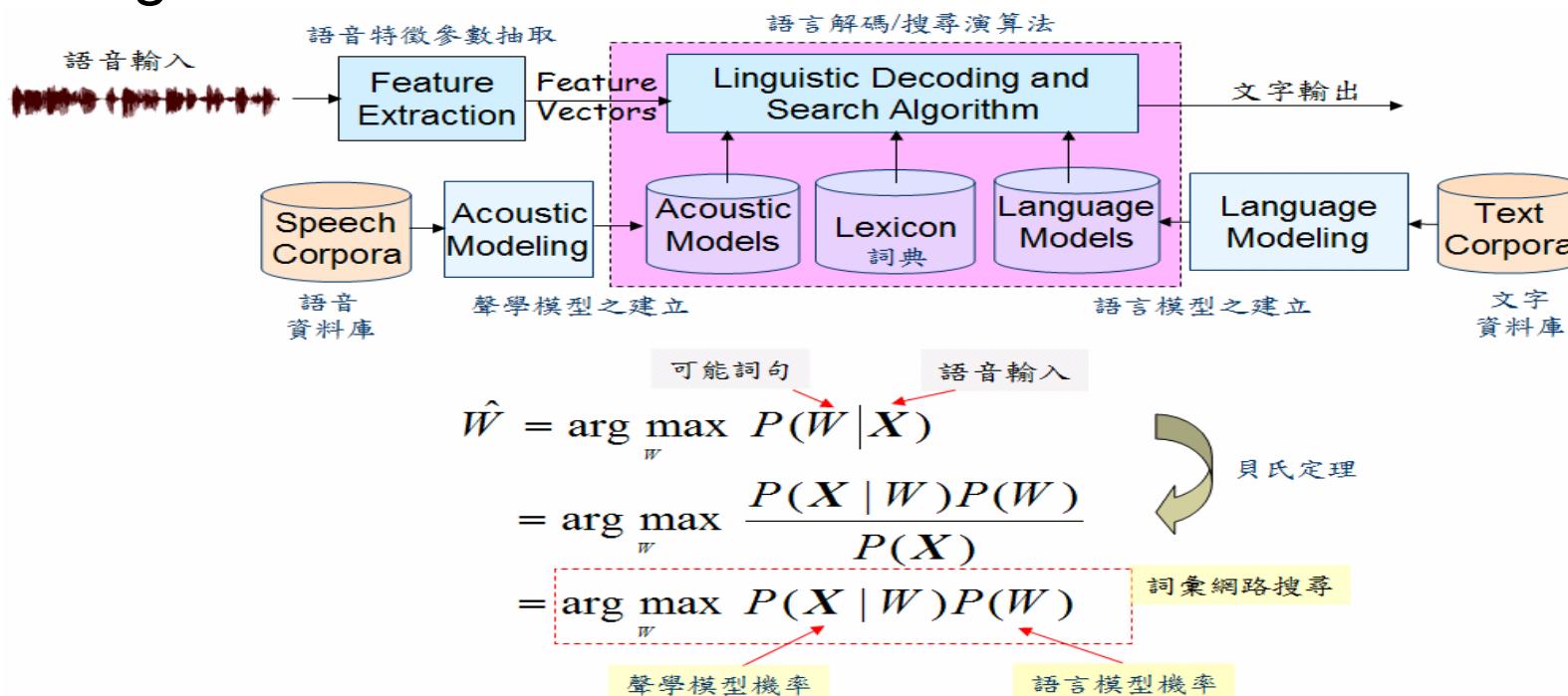
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# Why LVCSR Difficult ?

- The software complexity of a search algorithm is considerable
- The effort required to build an efficient decoder is quite large

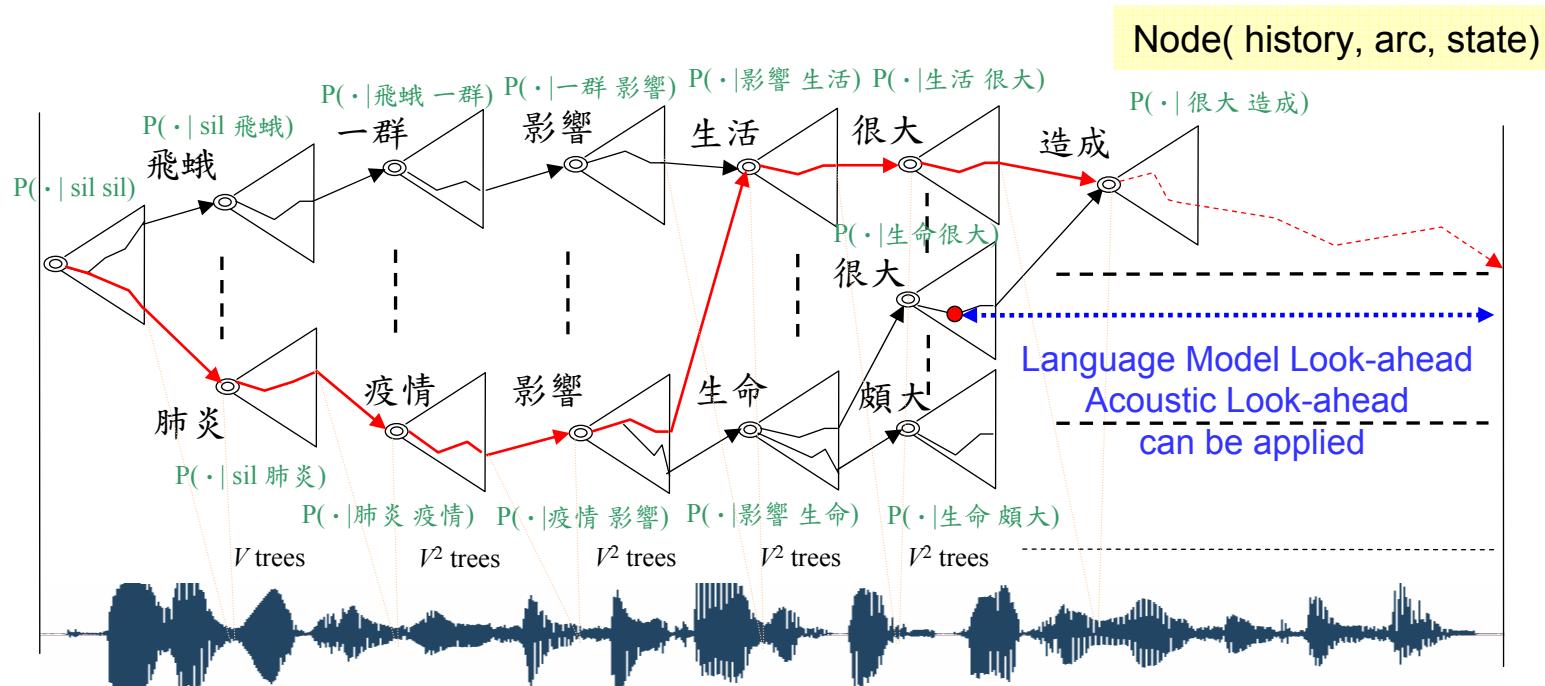


# Two Major Constituents of LVCSR

- **Front-end Processing** is a spectral analysis that derives feature vectors to capture salient spectral characteristics of speech input
  - Digital speech signal processing
- **Linguistic Decoding** combines word-level matching and sentence-level search to perform an inverse operation to decode the message from the speech waveform
  - Acoustic modeling
  - Language modeling
  - Search

# One-Pass Tree-Copy Search

- For example, when trigram language modeling are used

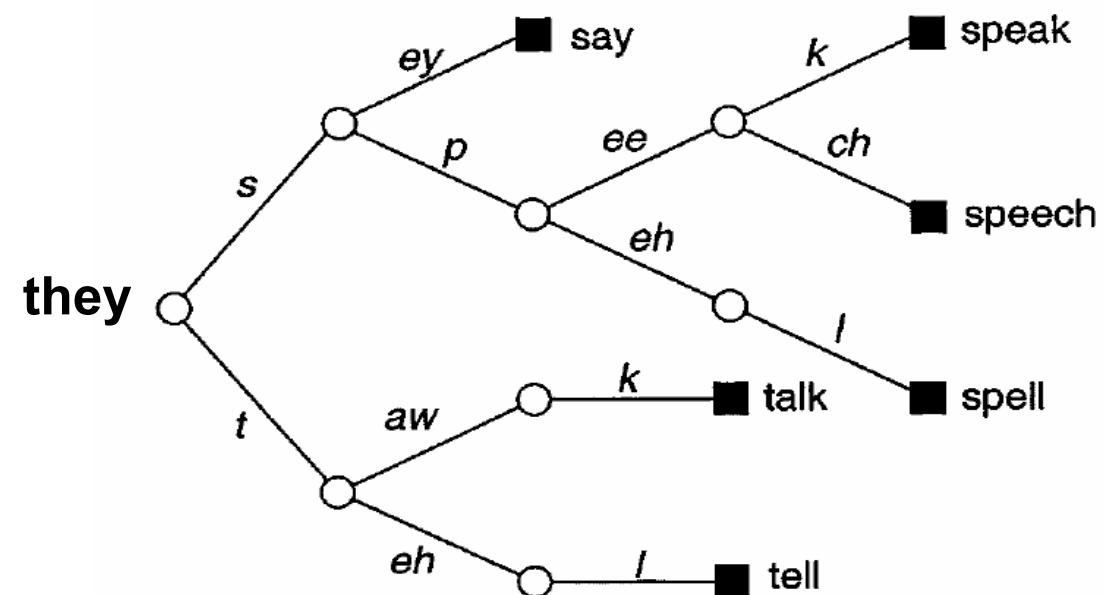


- The pronunciation lexicon is structured as a tree
- Due to the constraints of n-gram language modeling, a word's occurrence is dependent on the previous n-1 words
- Search through all possible tree copies from the start time to the end time of the utterance to find a best sequence of word hypotheses

# Lexical/Phonetic Tree

- Each arc stands for a phonetic unit
- Each leaf node is shard by words having the same pronunciation
- The application of language modeling is delayed until leaf nodes are reached

$$P(\text{say} \mid \text{they})$$
$$P(\text{tell} \mid \text{they})$$



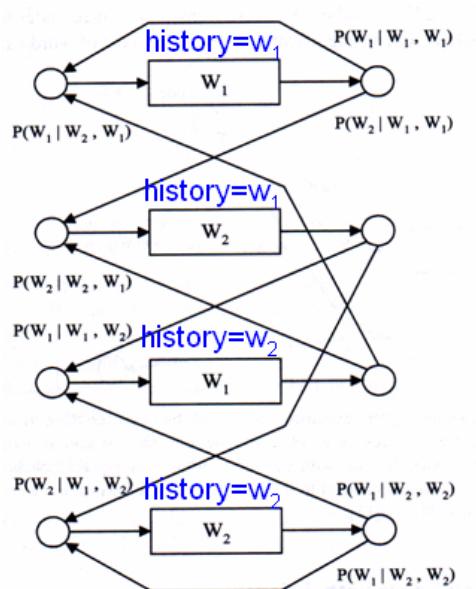
# Lexical/Phonetic Tree (cont.)

- Reasons for using the lexical/phonetic tree
  - States according to phones that are common to different words are shared by different hypotheses
    - A compact representation of the acoustic-phonetic search space
  - The uncertainty about the word identity is much higher at its beginning than its end
    - More computations required at the beginning of a word than toward its end

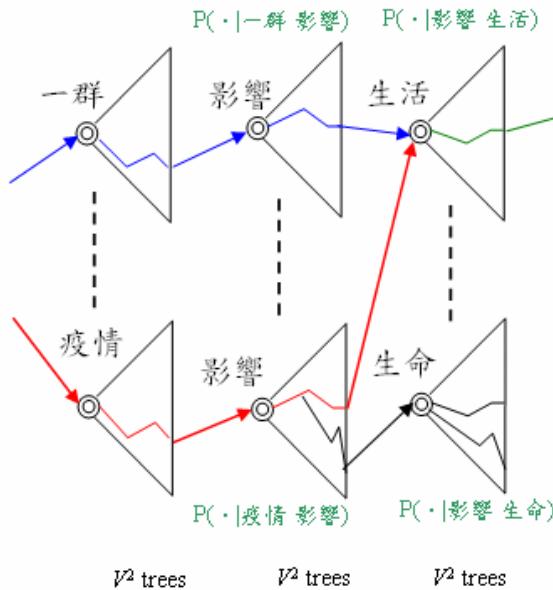
# Linear Lexicon vs. Tree Lexicon

- In the general  $n$ -gram case ( $n \geq 1$ ), the total number of prefix tree copies is equal to  $|V|^{n-1}$ , where  $|V|$  is the lexicon size and  $n$  the LM order
- When using a (flat) linear lexicon and in the general  $n$ -gram case ( $n \geq 2$ ), the total number of copies of the linear lexicon would now be  $|V|^{n-2}$

- $|V|$  linear lexicons for trigram modeling

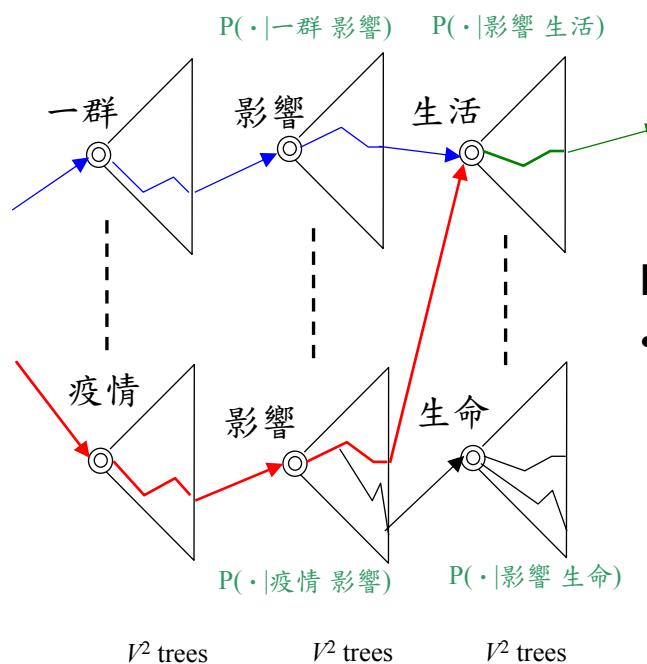


- $|V|^2$  tree-copies for trigram modeling



# One-Pass Tree-Copy Search (cont.)

- Word (history)-conditioned Search
  - A **virtual/imaginary tree copy** explored for linguistic context of active search hypotheses
  - Search hypotheses recombined at tree root nodes according to language modeling (or the history)



**For n-gram language modeling:**

- Retain distinct n-1-gram word histories

# One-Pass Tree-Copy Search (cont.)

- Integration of **acoustic** and **linguistic** knowledge
  - A network (**dynamically**) built to describe sentences in terms of words
    - Language models for network transition probabilities
  - A network (**statically**) built to describe words in terms of phone
    - The pronunciation dictionary (organized as a phonetic tree)
    - Transition penalties are applied
  - A network (**statically**) built to describe a phone unit in terms of sequences of HMM states
    - Spectral vectors derived from the speech signal are consumed

# One-Pass Tree-Copy Search (cont.)

- Three basic operations performed
  - Acoustic-level recombinations within tree arcs

- Viterbi search

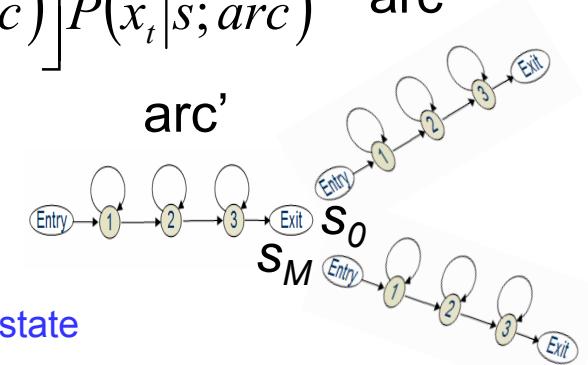
Backtracking Information should be manipulated

$$Q_{v_1^{n-1}}(t, s; arc) = \max_{s'} \left[ Q_{v_1^{n-1}}(t-1, s'; arc) P(s|s'; arc) \right] P(x_t | s; arc)$$

- Tree arc extensions

$$Q_{v_1^{n-1}}(t, S_0; arc) = Q_{v_1^{n-1}}(t-1, S_M; arc')$$

The beginning state
The ending state



- Language-model-level recombination

- Word end hypotheses sharing the same history were recombined

$$H(v_2^n; t) = \max_{v_1} \left[ Q_{v_1^{n-1}}(t, S_{v_n}; arc_E) \cdot P(v_n | v_1^{n-1})^\alpha \right]$$

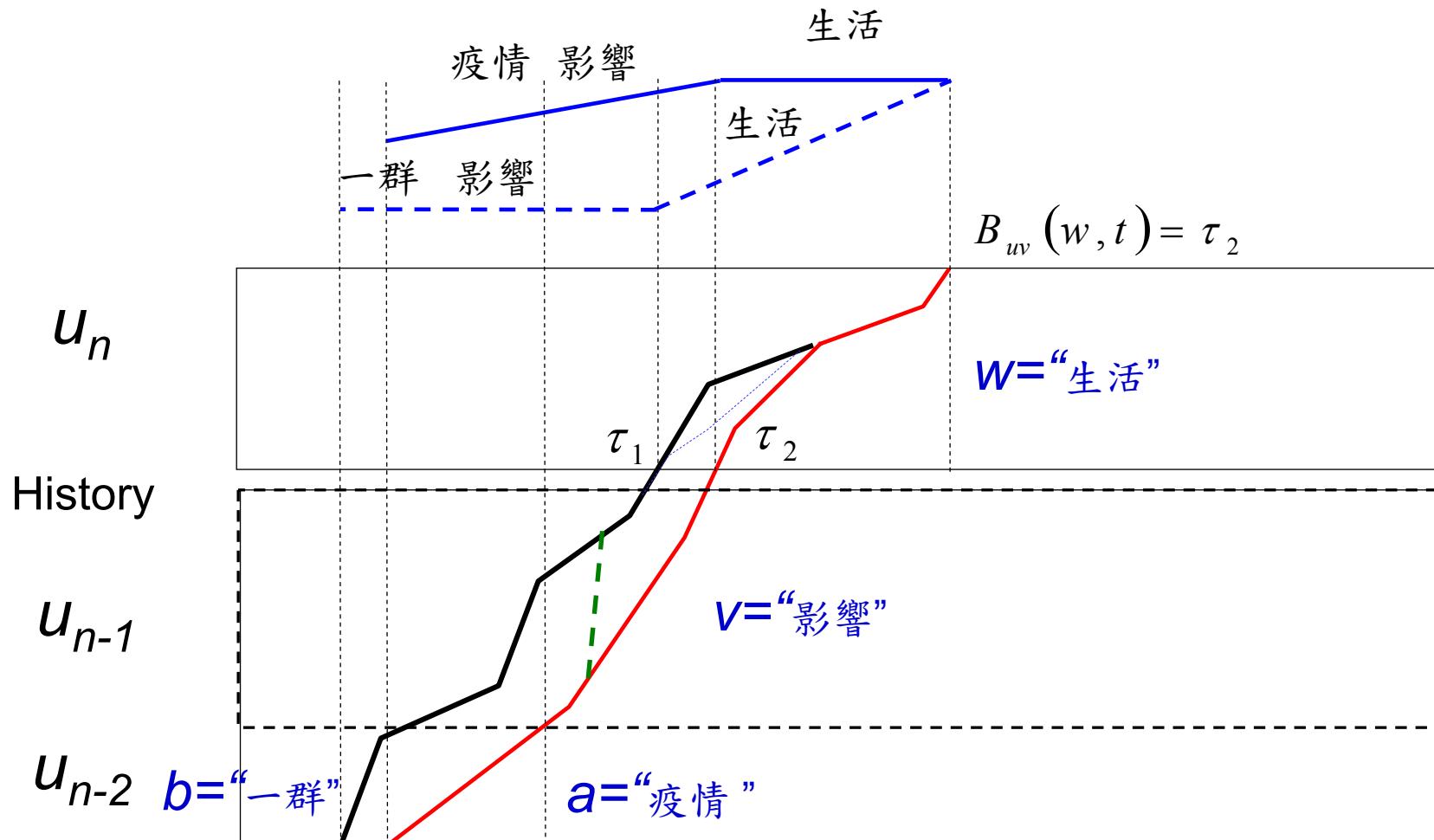
$$Q_{v_2^n}(t, S_0; arc_B) = H(v_2^n; t)$$

$$Q_{v_1^{n'-1}}(t, S_0; arc_B)$$

$H(v_2^n; t) = \max_{v_1} \left[ Q_{v_1^{n-1}}(t, S_{v_n}; arc_E) \cdot P(v_n   v_1^{n-1})^\alpha \right]$	$n=3$	$P(\text{生活} \text{一群 影響})$ $Q_{\text{一群 影響}}(-S_{\text{生活}}, -)$
$Q_{v_2^n}(t, S_0; arc_B) = H(v_2^n; t)$		$P(\text{生活} \text{疫情 影響})$ $Q_{\text{疫情 影響}}(-S_{\text{生活}}, -)$

# One-Pass Tree-Copy Search (cont.)

- Acoustic-level recombinations

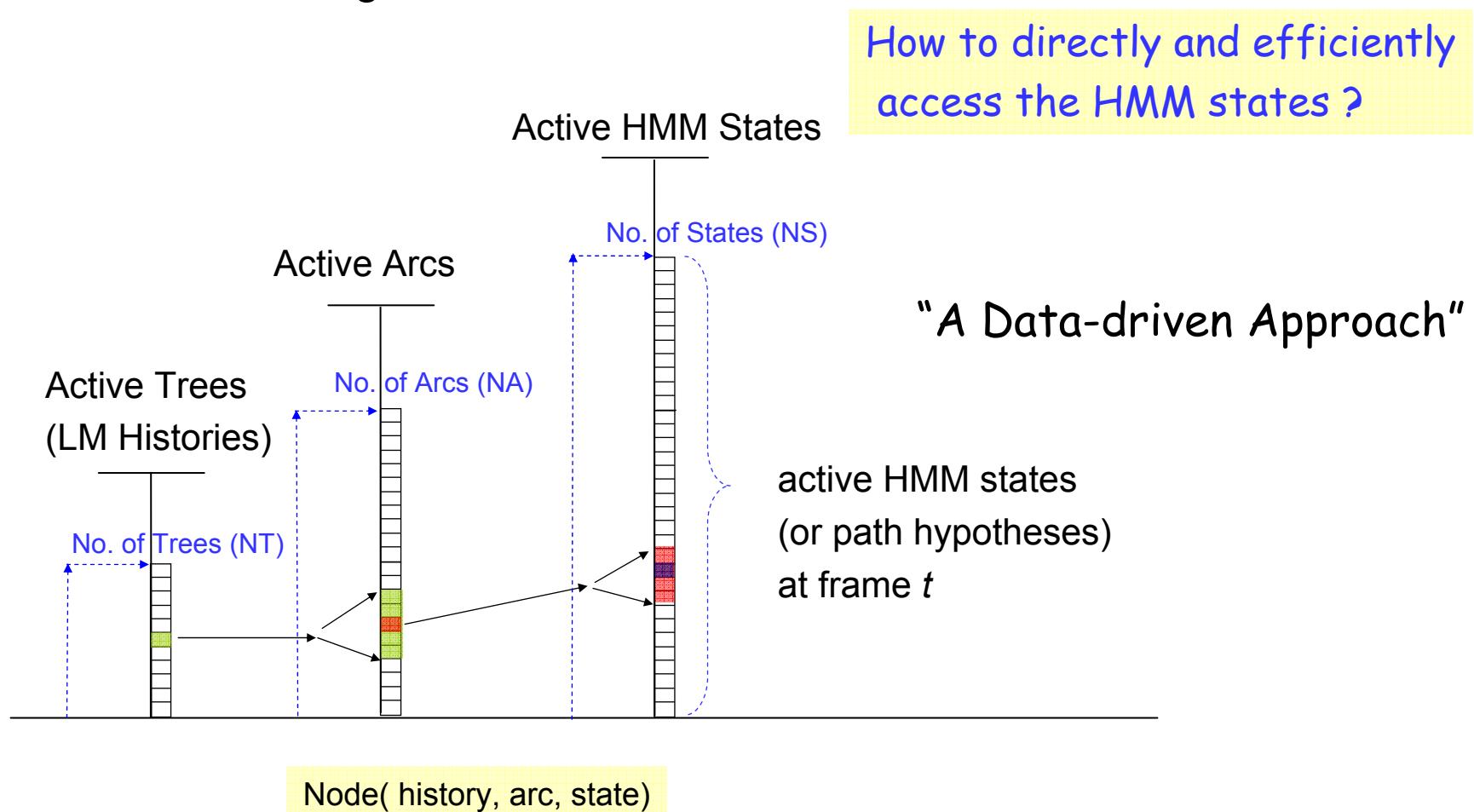


# One-Pass Tree-Copy Search (cont.)

- Different path hypotheses at each time frame are differentiated based on
  - The N-1 word history (for the N-gram LM)
  - The phone unit (or the tree arc)
  - The HMM state

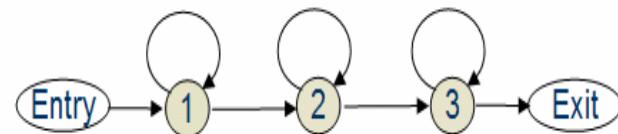
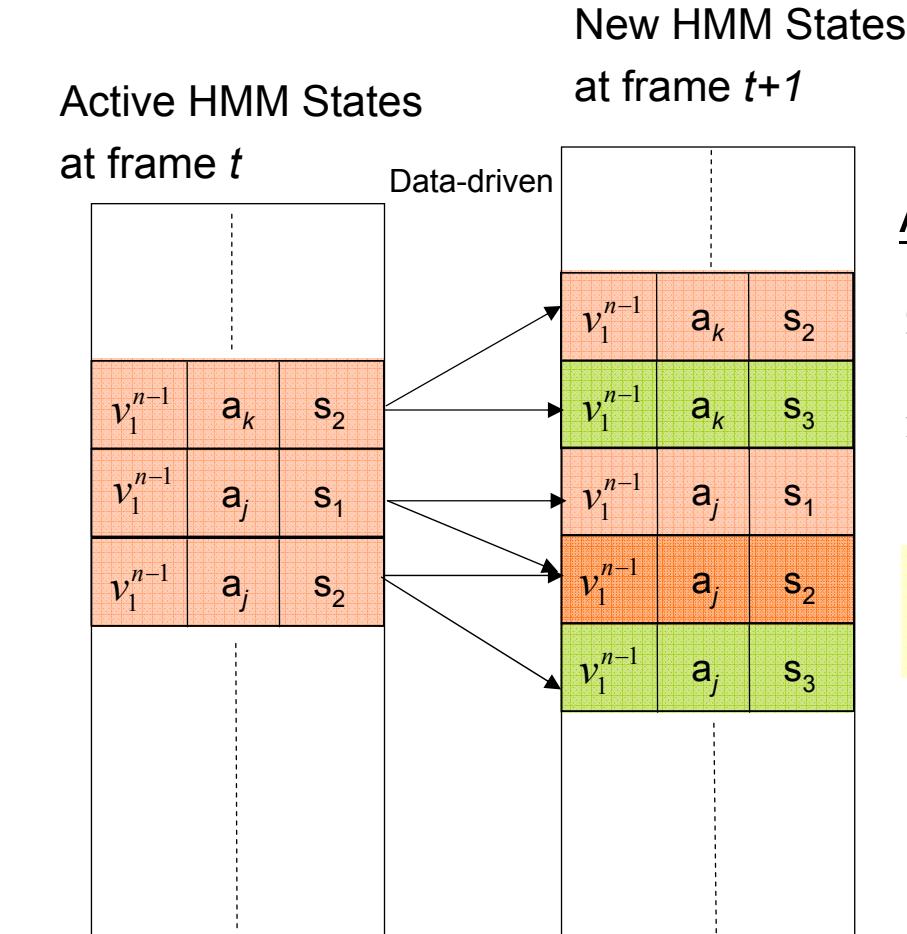
# One-Pass Tree-Copy Search (cont.)

- Organization of active search hypotheses (states)
  - Hierarchical organization



# One-Pass Tree-Copy Search (cont.)

- Organization of active search hypotheses (states)
  - Flat organization



## Acoustic level recombination

$$Q_{v_1^{n-1}}(t, s; arc) = \max_{s'} \left[ Q_{v_1^{n-1}}(t-1, s'; arc) P(s|s'; arc) \right] P(x_t|s; arc)$$

C++ STL (Standard Template Libraries)  
is suitable for such an access

$\log(NS)$  for the access of  
any HMM state  
NS: the number of HMM states

# One-Pass Tree-Copy Search (cont.)

- Viterbi search
  - Belong to a class of breadth-first search
    - *Time-synchronous*
    - Hypotheses terminate at the same point in time
      - Therefore, hypotheses can be compared
  - The search hypotheses will grow *exponentially*
  - Pruning away unlikely (incorrect) paths is needed
    - Viterbi *beam* search
    - Hypotheses with likelihood falling within a fixed radius (or beam) of the most likely hypothesis are retained
    - The beam size determined empirically or adaptively

# One-Pass Tree-Copy Search (cont.)

- Pruning Techniques
  - 1. Standard Beam Pruning (Acoustic-level Pruning)
    - Retain only hypotheses with a score close to the best hypothesis

$$Thr_{AC}(t) = \left[ \max_{(v_1^{n-1}, s, arc)} Q_{v_1^{n-1}}(t, s; arc) \right] \times f_{AC}$$

$$Q_{v_1^{n-1}}(t, s; arc) < Thr_{AC}(t) \Rightarrow \text{pruned!}$$

- 2. Language Model Pruning (word-level Pruning)
  - Applied to word-end or tree start-up hypotheses

$$Thr_{LM}(t) = \left[ \max_{(v_1^{n-1}, S_0, arc_B)} Q_{v_1^{n-1}}(t, S_0; arc_B) \right] \times f_{LM}$$

$$Q_{v_1^{n-1}}(t, S_0; arc_B) < Thr_{LM}(t) \Rightarrow \text{pruned!}$$

- 3. Histogram Pruning
  - Limit the number of surviving state hypotheses to a maximum number (Need some kind of sorting!)
  - Not Recommended!

# One-Pass Tree-Copy Search (cont.)

- Pruning Techniques (cont.)
  - Stricter pruning applied at word ends
    - The threshold is tightly compared to the acoustic-level one

Pose severe

requirements on

the system memory

- Reasons

- A single path hypothesis is propagated into multiple word ends (同音詞問題)
- A large number of arcs (models) of the new generated tree copies are about to be activated

# One-Pass Tree-Copy Search (cont.)

- Pruning techniques in my system

```
Acoustic_Penalty=800;
Acoustic_MAX=(float) Min_Delta;
count=0;
for(state_no=0;state_no<NewTreeState;state_no++)
{
    cur_HMM=LEX_STATE[PT2][state_no].TPTR->Model_ID;
    cur_state=LEX_STATE[PT2][state_no].HMM_state;
    if(LEX_STATE[PT2][state_no].Score>Acoustic_MAX)
        Acoustic_MAX=LEX_STATE[PT2][state_no].Score;

}
for(state_no=0;state_no<NewTreeState;state_no++)
{
    cur_HMM=LEX_STATE[PT2][state_no].TPTR->Model_ID;
    cur_state=LEX_STATE[PT2][state_no].HMM_state;
    if(LEX_STATE[PT2][state_no].Score>(Acoustic_MAX-Acoustic_Penalty))
        count++;
}
//20020522
if(count>100000)    Acoustic_MAX=Acoustic_MAX-40;
else if(count>50000) Acoustic_MAX=Acoustic_MAX-80;
else if(count>10000) Acoustic_MAX=Acoustic_MAX-100;
else if(count>5000)  Acoustic_MAX=Acoustic_MAX-150;
else if(count>2000)  Acoustic_MAX=Acoustic_MAX-200;
else if(count>1000)  Acoustic_MAX=Acoustic_MAX-300;
else if(count>400)   Acoustic_MAX=Acoustic_MAX-400;
else                 Acoustic_MAX=Acoustic_MAX-500;
ATreeState=0;
for(state_no=0;state_no<NewTreeState;state_no++)
{
    if(LEX_STATE[PT2][state_no].Score>Acoustic_MAX)
    {
        LEX_STATE[PT1][ATreeState]=LEX_STATE[PT2][state_no];
        ATreeState++;
    }
}
```

Acoustic-Level Pruning

# One-Pass Tree-Copy Search (cont.)

- Pruning techniques in my system

```
LM_Penalty=200;
LM_MAX=(float) Min_Delta;
for(j=0;j<LOCAL_ACTIVE_WORD_NO;j++)
    if(LOCAL_ACTIVE_TREE[j].Score>LM_MAX)
        LM_MAX=LOCAL_ACTIVE_TREE[j].Score;

count=0;
for(j=0;j<LOCAL_ACTIVE_WORD_NO;j++)
    if(LOCAL_ACTIVE_TREE[j].Score>(LM_MAX-LM_Penalty))
        count++;
//before 20020522
if      (count>200) LM_MAX=LM_MAX-30;
else if(count>100) LM_MAX=LM_MAX-50;
else if(count>50)  LM_MAX=LM_MAX-70;
else            LM_MAX=LM_MAX-80;

count=0;
for(j=0;j<LOCAL_ACTIVE_WORD_NO;j++)
    if(LOCAL_ACTIVE_TREE[j].Score>=LM_MAX)
        count++;

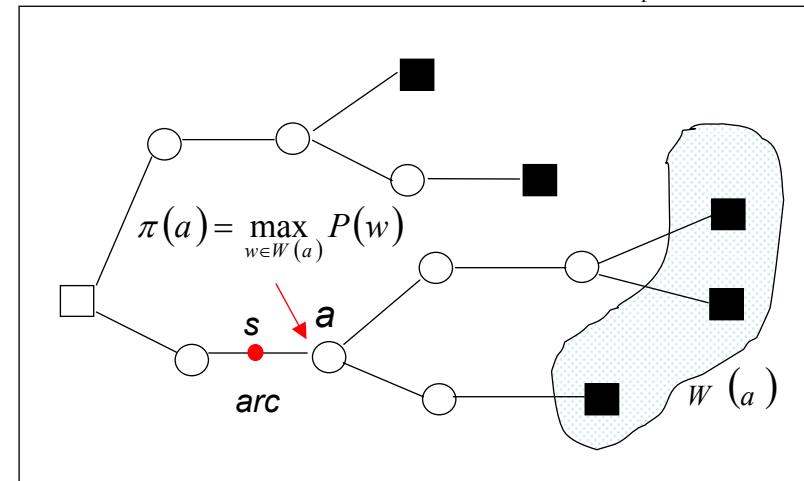
if((ACTIVE_TREE_WORD[Frame_Num]
    =( struct DEF_ACTIVE_TREE_WORD *)malloc((count+1)*sizeof( struct DEF_ACTIVE_TREE_WORD)))==NULL)
{
    printf("ACTIVE_TREE_WORD allocation error at FRAME %d!\n",Frame_Num);
    exit(1);
}

ACTIVE_TREE_WORD_NO[Frame_Num]=0;
for(j=0;j<LOCAL_ACTIVE_WORD_NO;j++)
    if(LOCAL_ACTIVE_TREE[j].Score>=LM_MAX)
    {
        ACTIVE_TREE_WORD[Frame_Num][ACTIVE_TREE_WORD_NO[Frame_Num]]=LOCAL_ACTIVE_TREE[j];
        ACTIVE_TREE_WORD_NO[Frame_Num]++;
    }
```

Word-Level Pruning

# One-Pass Tree-Copy Search (cont.)

- Language Model Look-ahead
  - Language model probabilities incorporated as early in the search as possible
    - Language model probability incorporated for computing of  $\tilde{Q}_{v_1^{n-1}}(t, s; arc)$
- Unigram Look-ahead
 
$$\pi(a) = \max_{w \in W(a)} P(w)$$
- Bigram Look-ahead
 
$$\pi_v(a) = \max_{w \in W(a)} P(w|v)$$
- Anticipate the language model probabilities with the state hypothesis



$$\tilde{Q}_{v_1^{n-1}}(t, s; arc) = \pi(a_{s, arc}) Q_{v_1^{n-1}}(t, s; arc)$$

$\tilde{Q}_{v_1^{n-1}}(t, s; arc) < \overline{Thr}_{AC}(t) \Rightarrow \text{pruned!}$

$$\overline{Thr}_{AC}(t) = \left[ \max_{(v_1^{n-1}, s, arc)} \pi(a_{s, arc}) Q_{v_1^{n-1}}(t, s; arc) \right] \times f_{AC}$$

# One-Pass Tree-Copy Search (cont.)

- Language Model Look-ahead

```
void SpeechClass::Calculate_Word_Tree_Unigram()
{
    if(Root==(struct Tree *) NULL) return;
    Do_Calculate_Word_Tree_Unigram(Root);
}
```

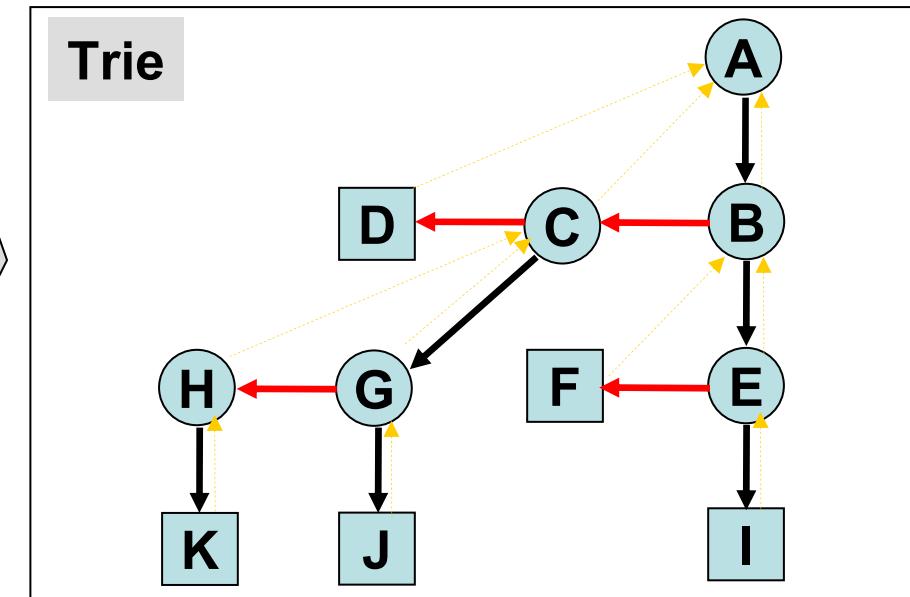
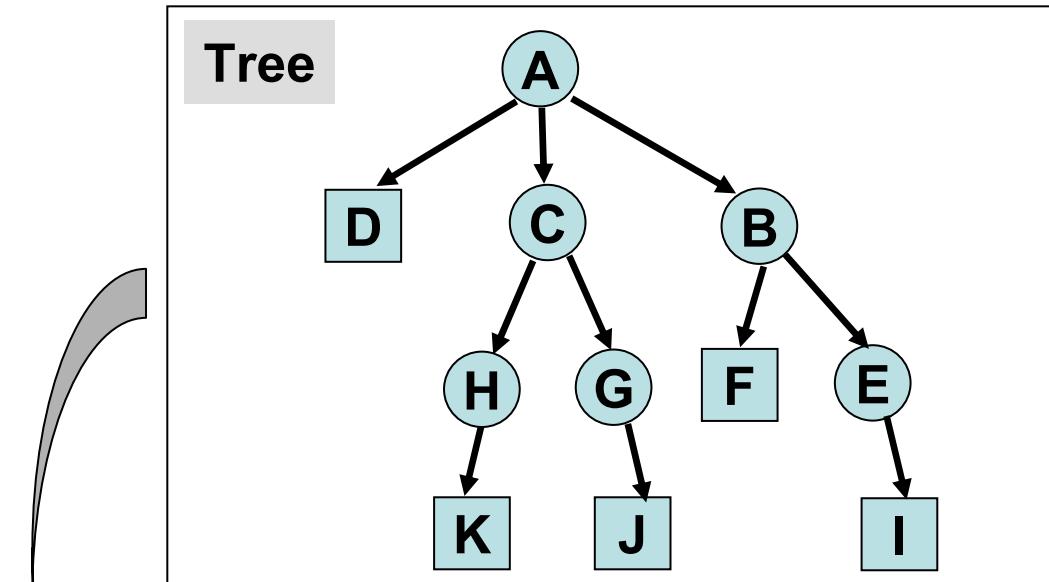
Recursive function for calculating unigram LM look-ahead

```
void SpeechClass::Do_Calculate_Word_Tree_Unigram(struct Tree *ptrNow)
{
    if(ptrNow==(struct Tree *) NULL) return;
    Do_Calculate_Word_Tree_Unigram(ptrNow->Brother);
    Do_Calculate_Word_Tree_Unigram(ptrNow->Child);
    if(ptrNow->Father!=(struct Tree *) NULL)
        if(ptrNow->Unigram > ptrNow->Father->Unigram)
            ptrNow->Father->Unigram=ptrNow->Unigram;
}
```

# One-Pass Tree-Copy Search (cont.)

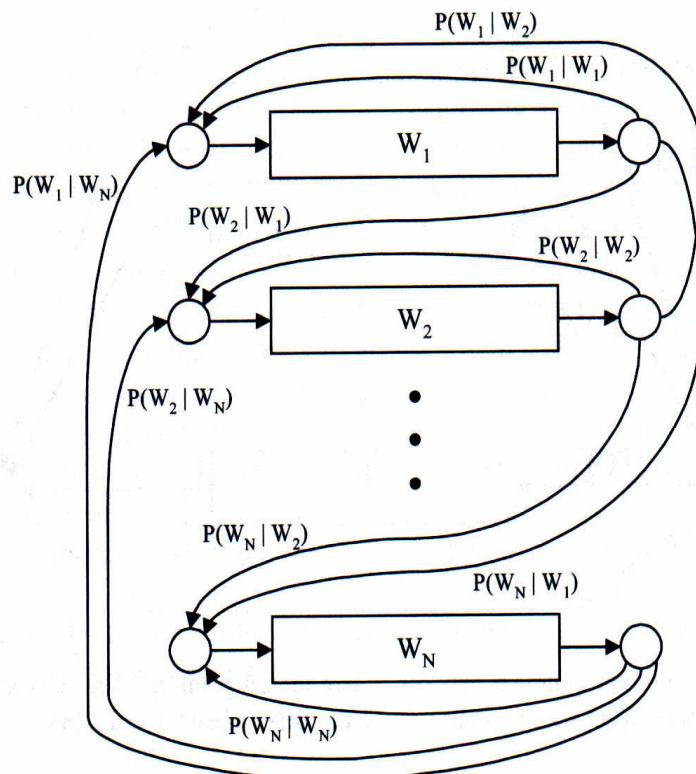
- Trie Structure

```
struct DEF_LEXICON_TREE
{
    short Model_ID;
    short WD_NO;
    int *WD_ID;
    int Leaf;
    double Unigram;
    struct Tree *Child;
    struct Tree *Brother;
    struct Tree *Father;
};
```

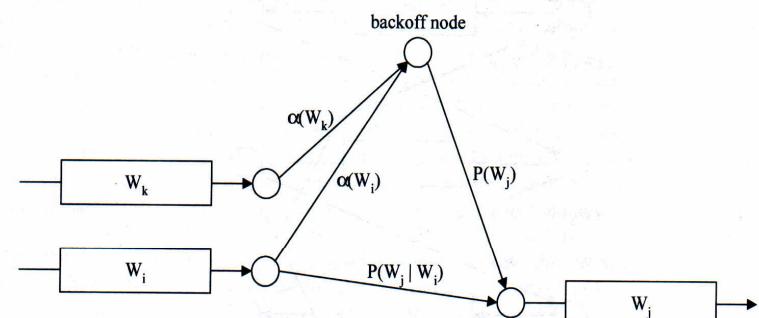


# One-Pass Tree-Copy Search (cont.)

- **Linear Lexicon with Bigram Language Modeling**



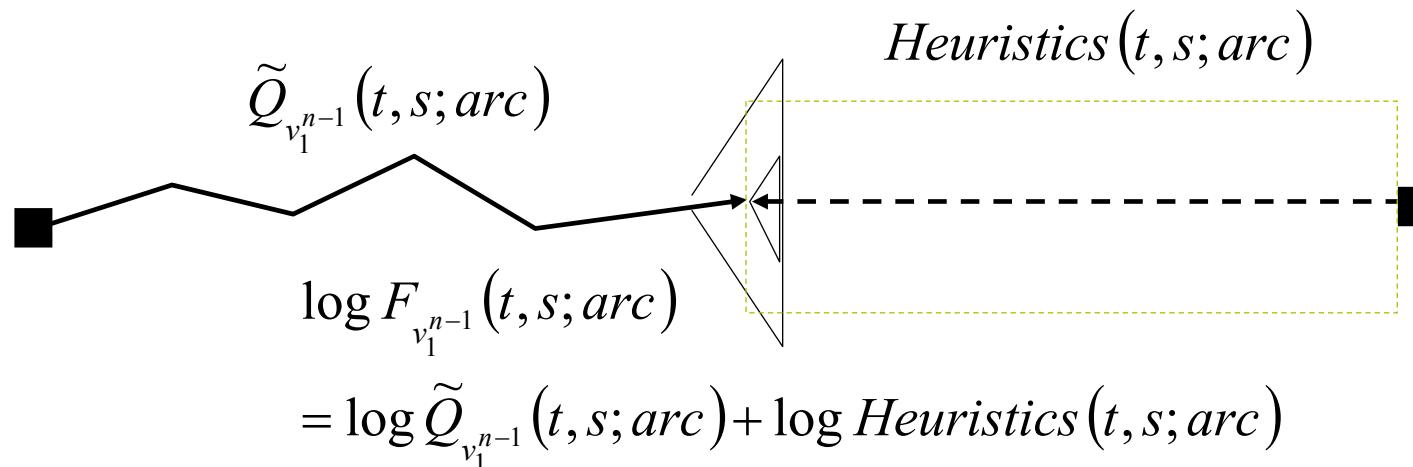
**Figure 12.15** A bigram grammar network where the bigram probability  $P(w_j | w_i)$  is attached as the transition probability from word  $w_i$  to  $w_j$  [19].



**Figure 12.16** Reducing bigram expansion in a search by using the backoff node. In addition to normal bigram expansion arcs for all observed bigrams, the last state of word  $w_i$  is first connected to a central backoff node with transition probability equal to backoff weight  $\alpha(w_i)$ . The backoff node is then connected to the beginning of each word  $w_j$  with its corresponding unigram probability  $P(w_j)$  [12].

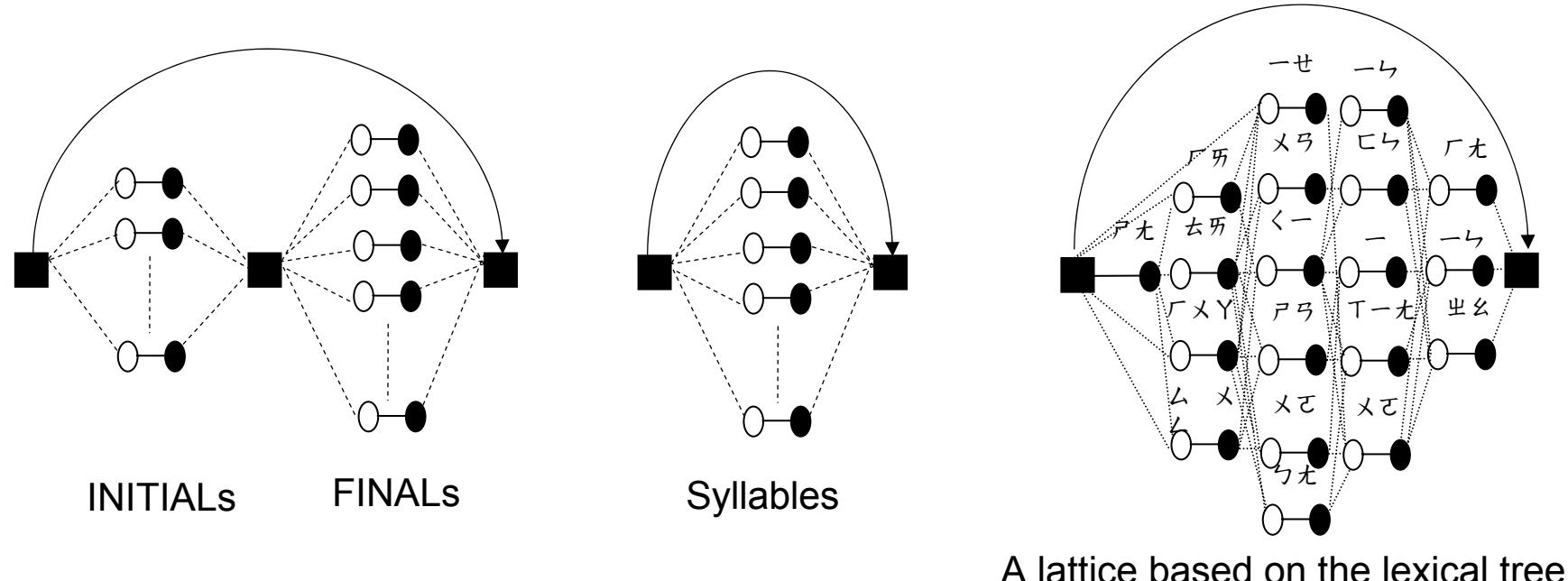
# One-Pass Tree-Copy Search (cont.)

- Acoustic Look-ahead
  - The similar idea from A\* search
  - The use of acoustic heuristics to speed up the search process
    - Help to make the right decision when pruning
  - How to design the procedure in order to estimate the heuristics ?



# One-Pass Tree-Copy Search (cont.)

- Acoustic Look-ahead



Syllable Error Rate		Character Error Rate	
TS	WG	TS	WG
13.1 (1.5%)	12.3 (0.8%)	19.1 (0.0%)	17.2 (0.0%)

	FE	AL	TS	WG	Total
Without Acoustic Look-ahead	0.490	0.000	1.685	0.100	2.275
With Acoustic Look-ahead	0.490	0.003	1.025 (39.2%)	0.085 (15.0%)	1.630 (28.4%)

# Word Graph

- If **bigram LM** used in the tree-copy search
  - The beginning time of a word hypothesis  $w$  ending at time  $t$

$$\tau(t; v, w) = B_v(t, S_w; \text{arc}_E)$$

- The acoustic score of a word hypothesis  $w$

$$AC_v(w; \tau, t) = Q_v(t, S_{v_n}; \text{arc}_E) / H(v, \tau)$$

Not only the word hypothesis with  
the best predecessor word were recorded

$$AC_{v_0}(w; \tau_0, t)$$

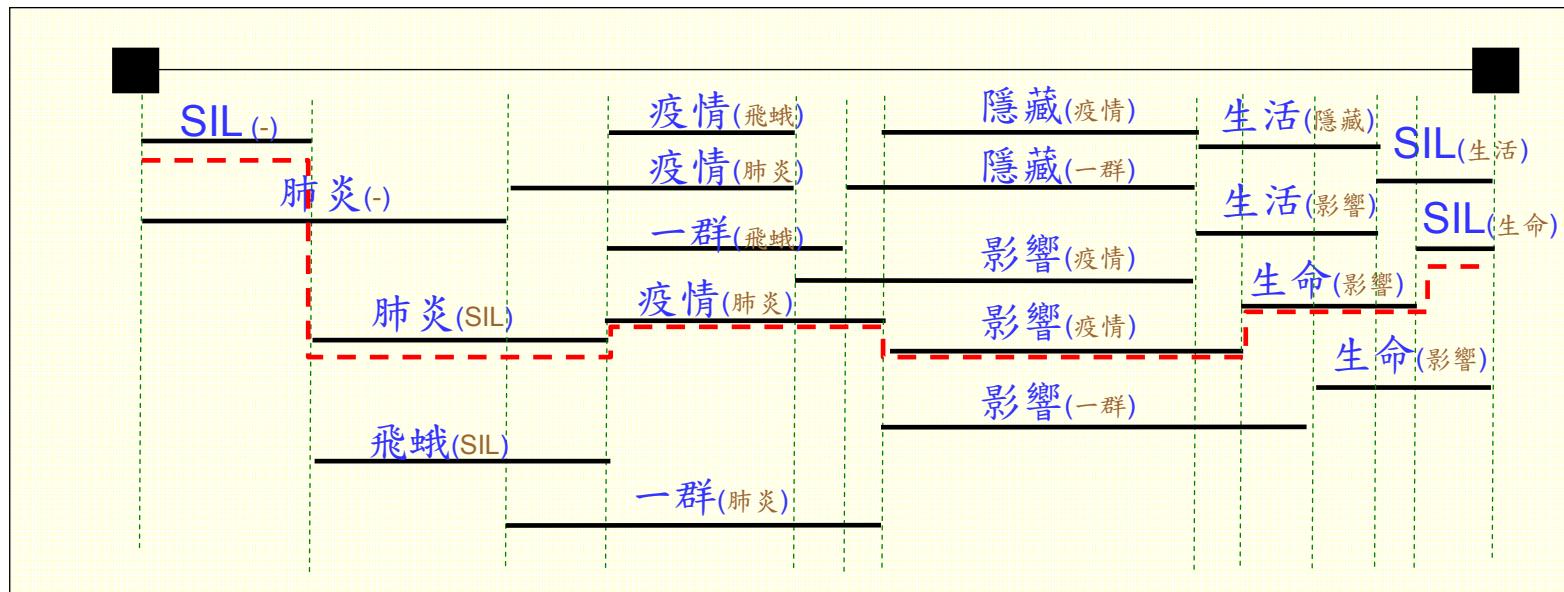
$$AC_{v_1}(w; \tau_1, t)$$

$$AC_{v_2}(w; \tau_2, t)$$

⋮

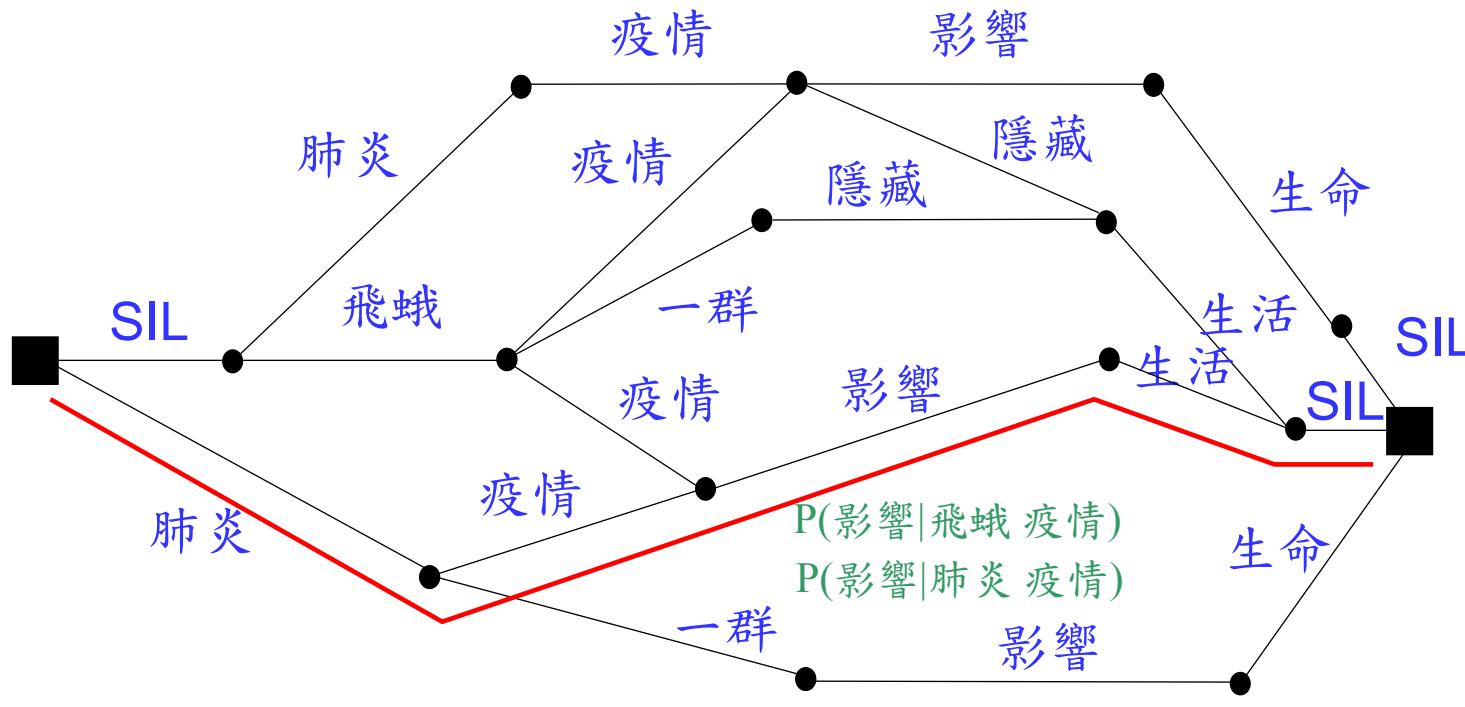
# Word Graph (cont.)

- Bookkeeping at the word level
  - When word hypotheses were recombined into one hypothesis to start up the next tree
    - Not only the word hypothesis with the best predecessor word were recorded
    - But for the hypotheses that have the same LM history, only the best one was kept



# Word Graph (cont.)

- A word graph built with word-pair approximation



- Each edge stands for a word hypothesis
- The node at the right side of an edge denotes the **word end**
  - There is a maximum of incoming word edges for a node (?)
  - There is no maximum of the num. of outgoing edges for a node (?)

# One-Pass Tree-Copy Search (cont.)

- **Time-Conditioned Search**

- Acoustic-level recombinations within tree arcs
  - Viterbi search

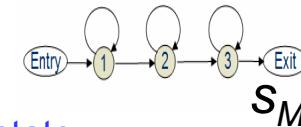
$$Q_\tau(t, s; arc) = \max_{s'} [Q_\tau(t-1, s'; arc) P(s|s'; arc)] P(x_t | s; arc)$$

The starting time of the lexical tree

- Tree arc extensions

$$Q_\tau(t, S_0; arc) = Q_\tau(t-1, S_M; arc')$$

The beginning state                              The ending state



- Language-model-level recombination

- Word end hypotheses sharing the same history were recombined

$$h(v_n; \tau, t) = Q_\tau(t, S_{v_n}; arc_E) / H_{\max}(\tau)$$

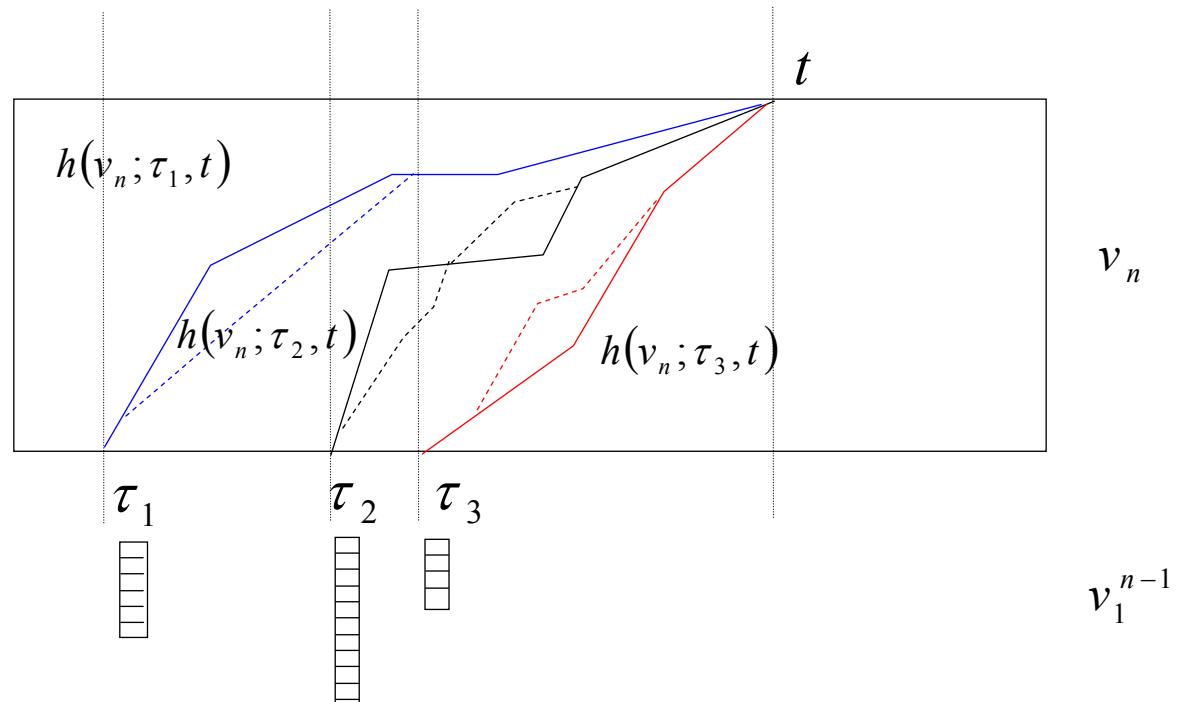
$$H(v_2^n; t) = \max_{(v_1, \tau)} \left[ H(v_1^{n-1}; \tau) \cdot h(v_n; \tau, t) \cdot P(v_n | v_1^{n-1})^\alpha \right]$$

$$H_{\max}(t) = \max_{v_2^n} H(v_2^n; t)$$

$$Q_t(t, S_0; arc_B) = H_{\max}(t)$$

# One-Pass Tree-Copy Search (cont.)

- Time-Conditioned Search



$$\begin{aligned}
 H(v_2^n; t) &= \max_{(\tau_1, \tau)} \left[ H(v_1^{n-1}; \tau) \cdot h(v_n; \tau, t) \cdot P(v_n | v_1^{n-1})^\alpha \right] \\
 &= \max_{(\tau_1, \tau)} \left[ H(v_1^{n-1}; \tau) \cdot \frac{Q_\tau(t, S_{v_n}; arc_E)}{H_{\max}(\tau)} \cdot P(v_n | v_1^{n-1})^\alpha \right]
 \end{aligned}$$

# References

- H. Ney, “Progress in Dynamic Programming Search for LVCSR,” *Proceedings of the IEEE*, August 2000
- X. L., Aubert, “An Overview of Decoding Techniques for Large Vocabulary Continuous Speech Recognition,” *Computer Speech and Language*, vol. 16, 2002
- S.Ortmanns, H. Ney, X. Aubert, “A Word Graph Algorithm for Large Vocabulary Continuous Speech Recognition,” *Computer Speech and Language*, vol. 11, 1997
- S.Ortmanns, H. Ney, “The Time-Conditioned Approach in Dynamic Programming Search for LVCSR,” *IEEE Transactions on Speech and Audio Processing*, vol. 8, no. 6, November 2000

# One-Pass Tree-Copy Search

- Trigram language modeling used here

